

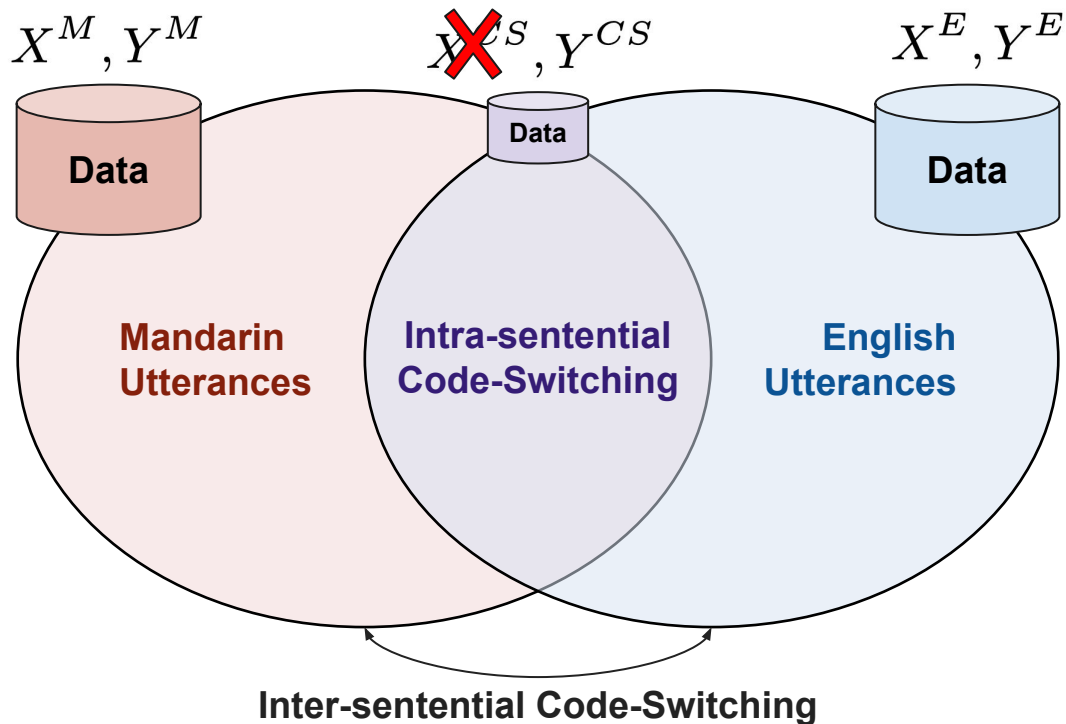
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# Code-Switched Modeling

Brian Yan, Matthew Wiesner, Ondrej Klejch, Preethi Jyothi, Shinji Watanabe

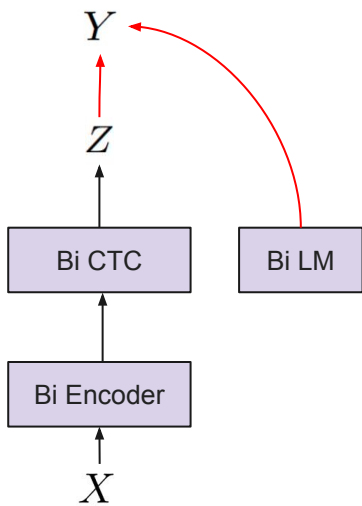
# Code-switching (CS) $\subset$ Bilingualism

Our objective is to model the **entire bilingual task**:



# Joint Modeling of Monolingual and CS ASR

$$p(Y|X) \approx \underbrace{p(Y)}_{\triangleq p_{\text{Bi.LM}}(Y)} \underbrace{\sum_Z p(Z|X)}_{\triangleq p_{\text{Bi.CTC}}(Y|X)}$$



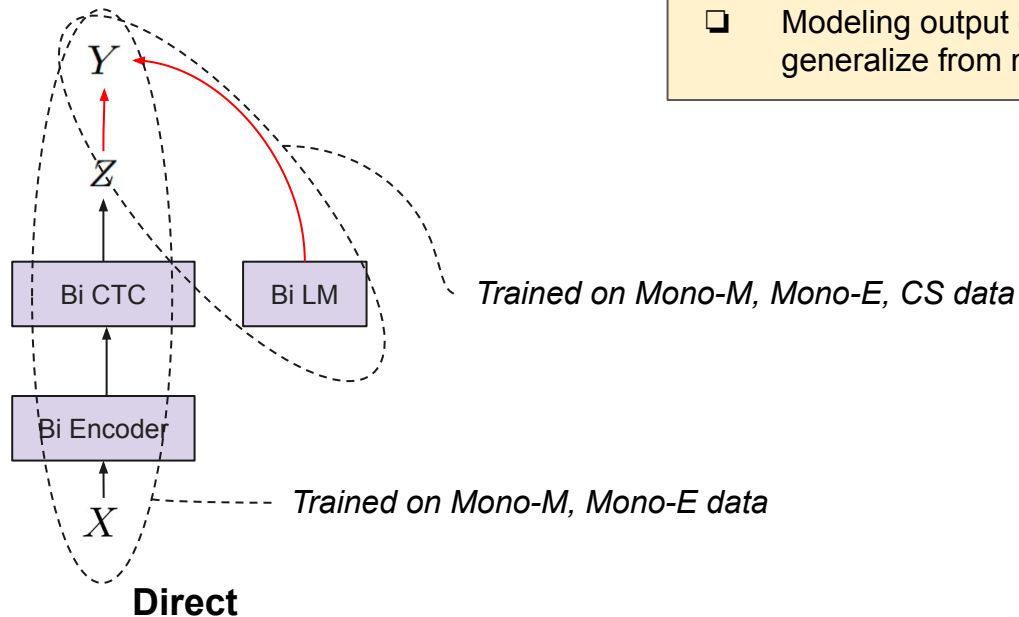
**Direct**

Bilingual Modules:

handle speech/text which may be Mandarin-only, English-only, or code-switched

# Joint Modeling of Monolingual and CS ASR

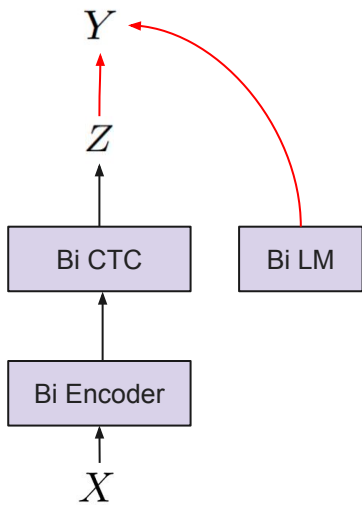
$$p(Y|X) \approx \underbrace{p(Y)}_{\triangleq p_{\text{Bi.LM}}(Y)} \underbrace{\sum_Z p(Z|X)}_{\triangleq p_{\text{Bi.CTC}}(Y|X)}$$



- ❑ Modeling output dependency via an external LM → generalize from monolingual ASR training to CS testing

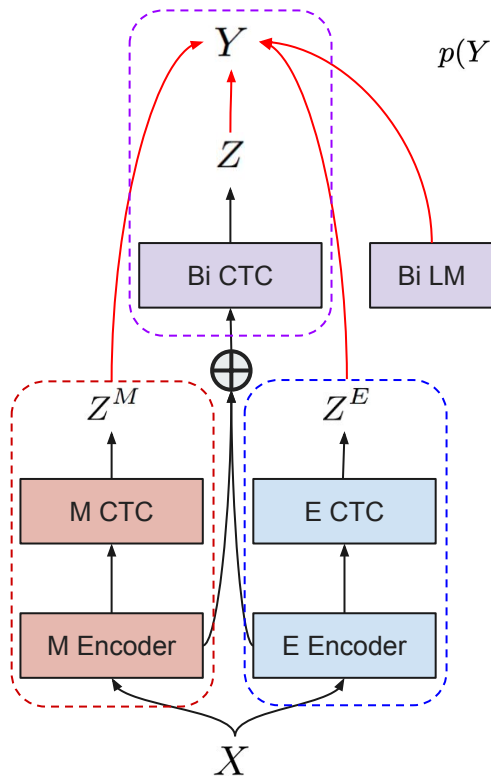
# Joint Modeling of Monolingual and CS ASR

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Direct

$$p(Y|X) \approx \underbrace{p(Y)}_{\triangleq p_{\text{Bi.LM}}(Y)} \underbrace{\sum_Z p(Z|Z^M, Z^E)}_{\triangleq p_{\text{Bi.CTC}}(Y|Z^M, Z^E)} \underbrace{\sum_{Z^M} p(Z^M|X)}_{\triangleq p_{\text{M.CTC}}(Y^M|X)} \underbrace{\sum_{Z^E} p(Z^E|X)}_{\triangleq p_{\text{E.CTC}}(Y^E|X)}$$

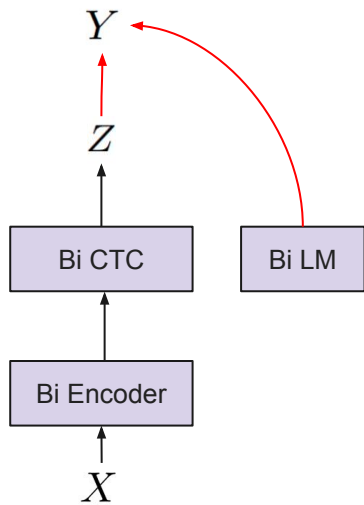


Bilingual Modules +  
 Monolingual English Expert +  
 Monolingual Mandarin Expert

Conditionally Factorized

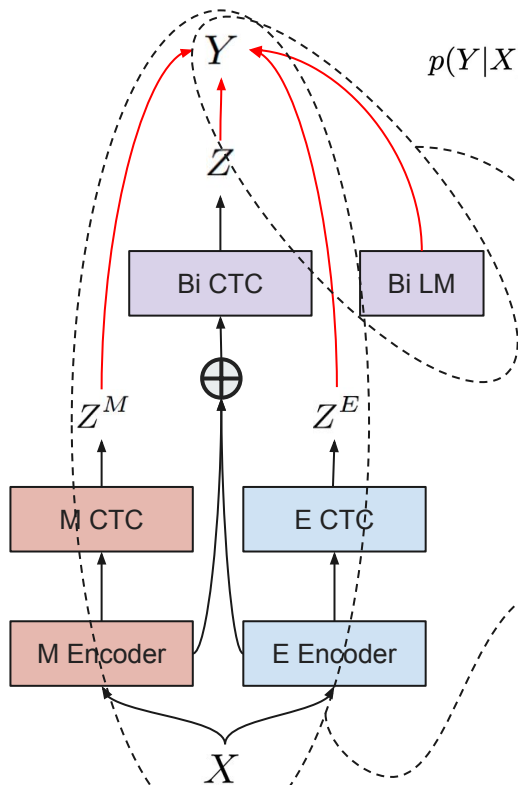
# Joint Modeling of Monolingual and CS ASR

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**Direct**

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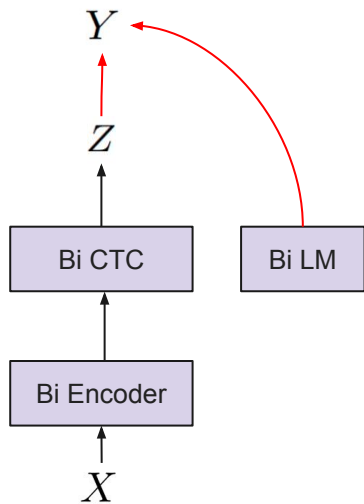
*Trained on Mono-M, Mono-E, CS data*

*Trained on Mono-M, Mono-E data*

**Conditionally Factorized**

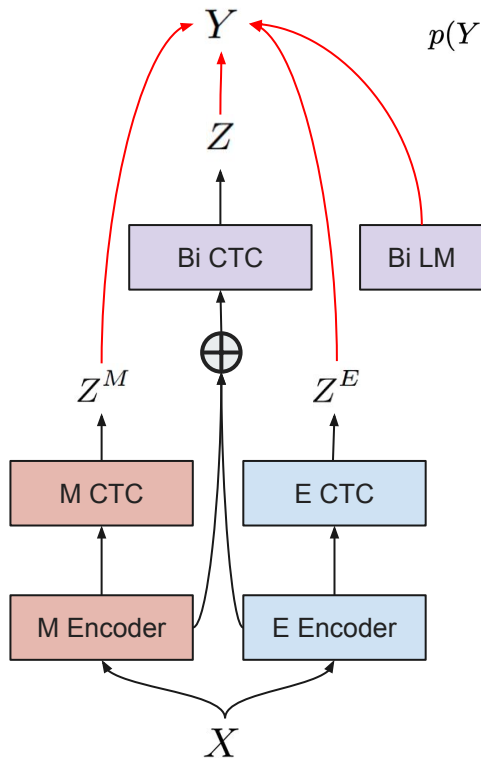
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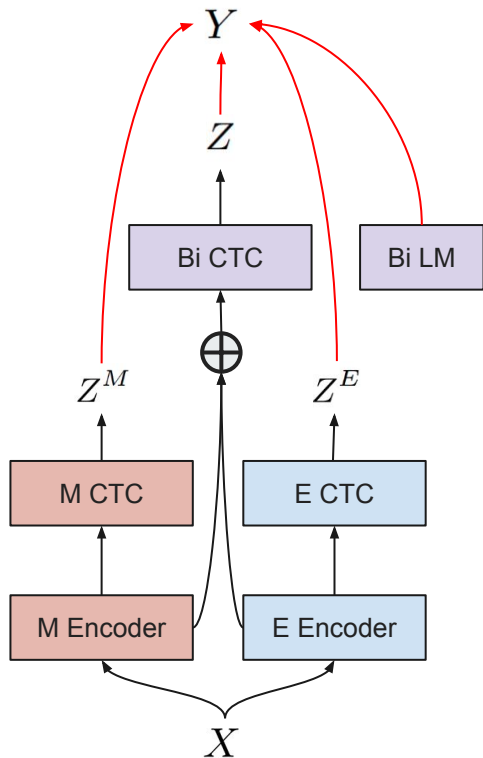
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Conditionally Factorized

- ❑ Dedicated monolingual sub-components → data efficient training
- ❑ Re-framed the bilingual task → choosing the language per  $z_i$  given monolingual information

# Joint Modeling of Monolingual and CS ASR



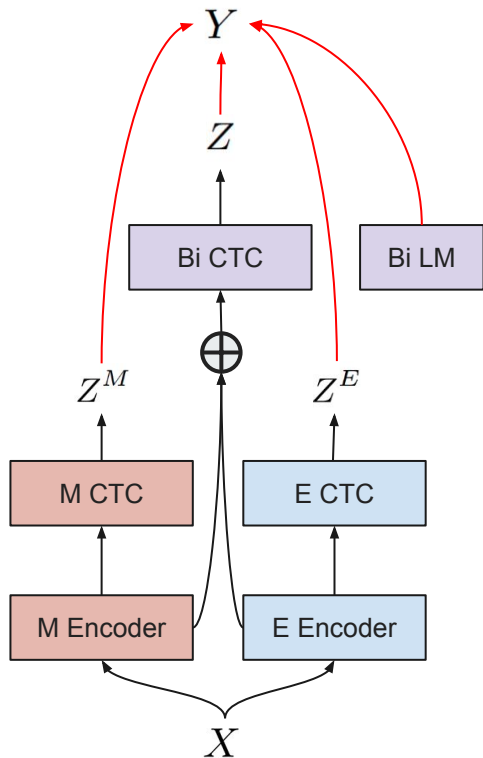
## Training Scheme

$$\begin{array}{ll}
 Y|X^E = \text{\_account \_ing} & Y|X^M = \text{还 有} \\
 Y^M|X^E = \text{[null] [null]} & Y^M|X^M = \text{还 有} \\
 Y^E|X^E = \text{\_account \_ing} & Y^E|X^M = \text{[null] [null]}
 \end{array}$$

$$\mathcal{L}_{LS} = \lambda \mathcal{L}_{Bi\_CTC} + (1 - \lambda)(\mathcal{L}_{M\_CTC} + \mathcal{L}_{E\_CTC})$$



# Joint Modeling of Monolingual and CS ASR

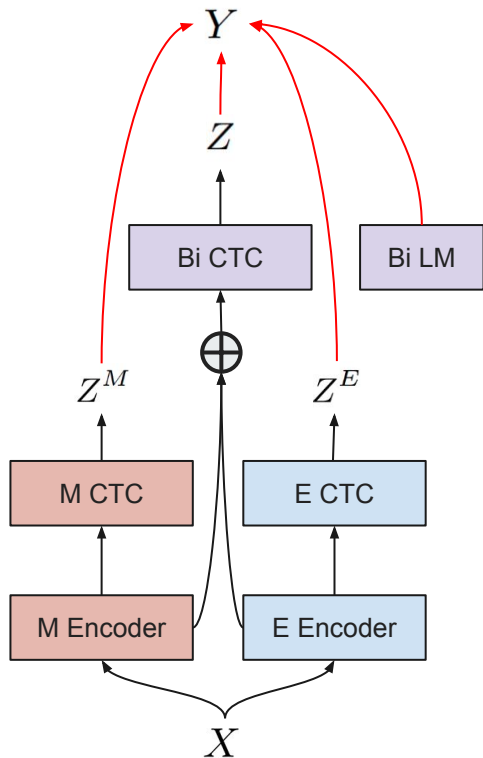


## Training Scheme

$$\begin{aligned}
 Y | X^{CS} &= \text{\_account\_ing} \quad \text{还} \quad \text{有} \\
 Y^M | X^{CS} &= [\text{null}] \quad [\text{null}] \quad \text{还} \quad \text{有} \\
 Y^E | X^{CS} &= \text{\_account\_ing} \quad [\text{null}] \quad [\text{null}]
 \end{aligned}$$

$$\mathcal{L}_{LS} = \lambda \mathcal{L}_{\text{Bi\_CTC}} + (1 - \lambda)(\mathcal{L}_{\text{M\_CTC}} + \mathcal{L}_{\text{E\_CTC}})$$

# Joint Modeling of Monolingual and CS ASR



## Training Scheme

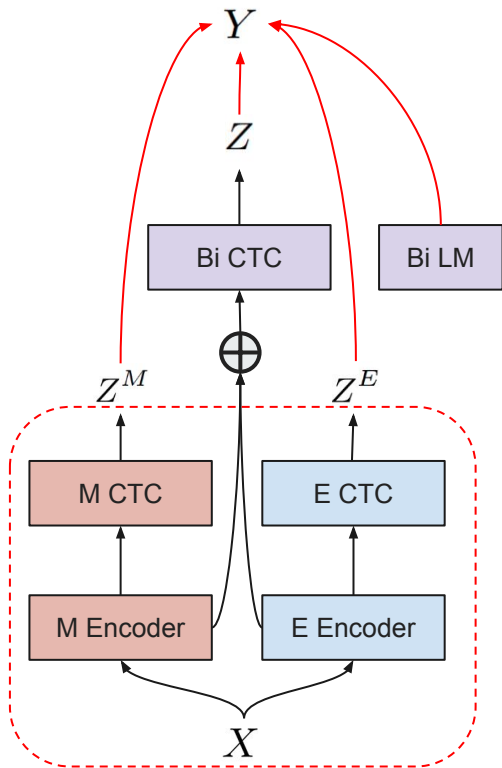
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$$\mathcal{L}_{LS} = \lambda \mathcal{L}_{\text{Bi\_CTC}} + (1 - \lambda)(\mathcal{L}_{\text{M\_CTC}} + \mathcal{L}_{\text{E\_CTC}})$$

## Inference Procedure

1. Monolingual CTC modules transcribe their respective parts
2. Bilingual CTC module transcribes whole, conditioned on monolingual info.
3. Mono/bilingual CTC modules + bilingual LM jointly decode the final output sequence (e.g. via time sync beam search)

# Joint Modeling of Monolingual and CS ASR



## Training Scheme

$$\begin{aligned}
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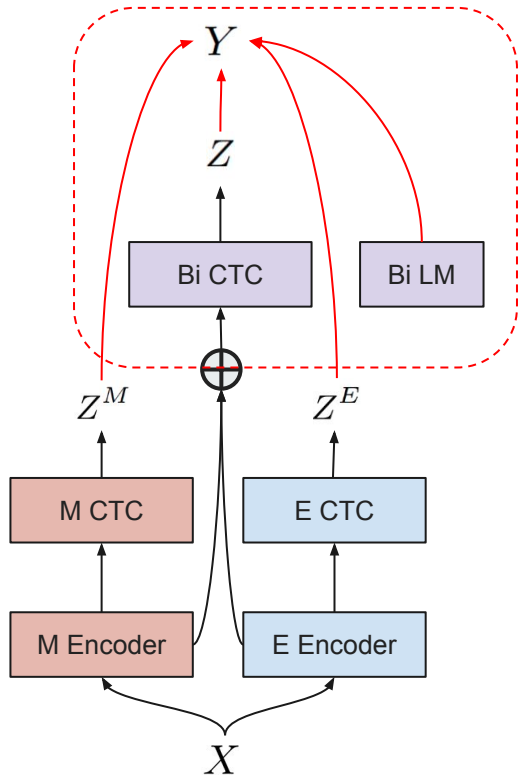
## Inference Procedure

*Making a language segmentation decision*

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# Joint Modeling of Monolingual and CS ASR

Language segmentation decision



Can we make the language segmentation decision later?

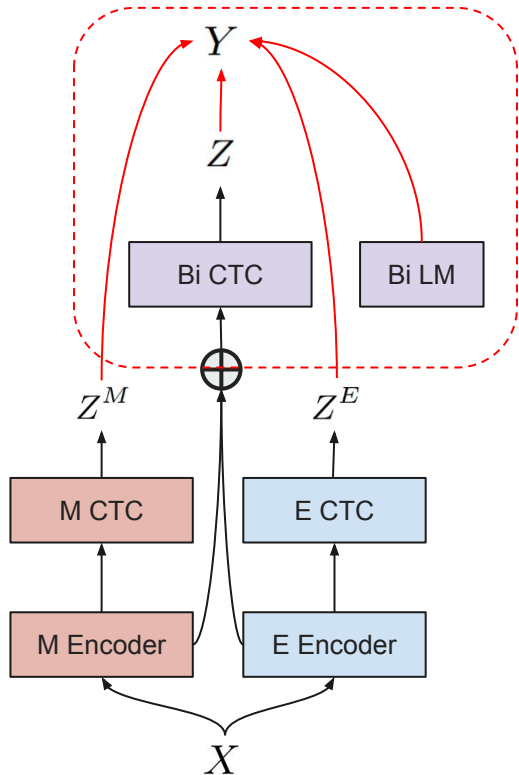
Inference Procedure

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# Joint Modeling of Monolingual and CS ASR

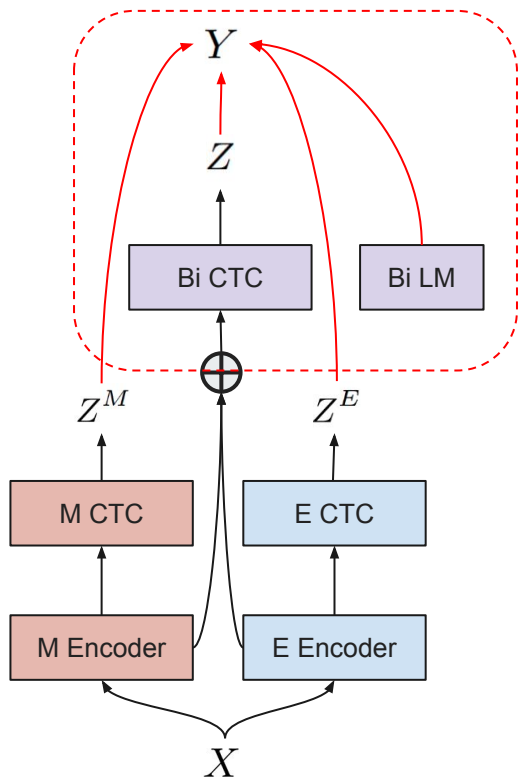
*Language segmentation decision*



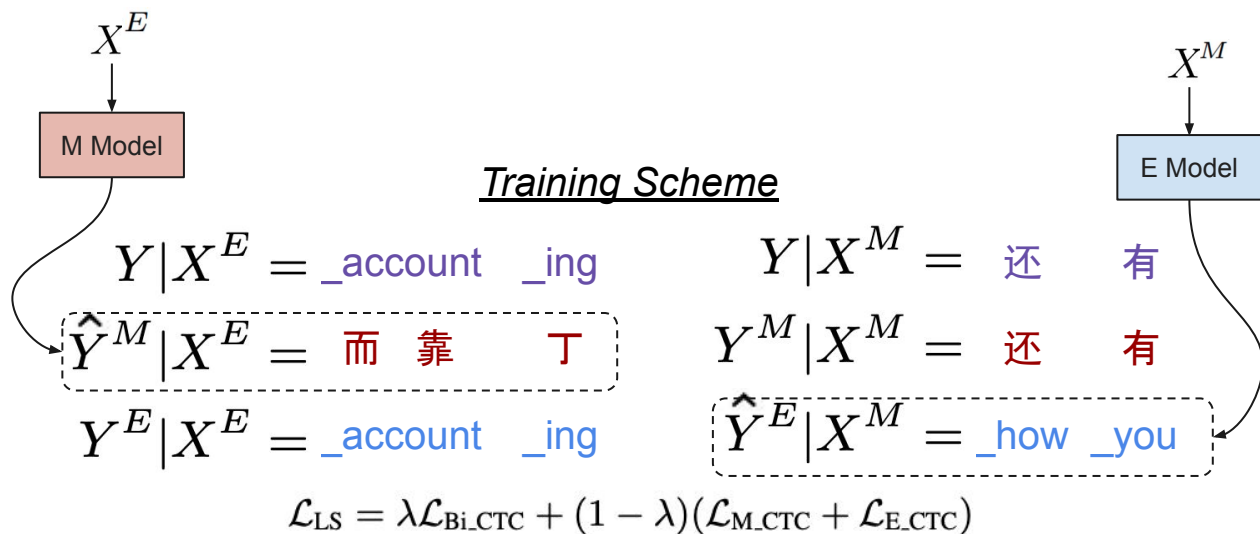
- ❑ Encourage monolingual modules to transcribe the opposite language  $\rightarrow$  leave language segmentation decision to bilingual modules (CTC, LM)

# Joint Modeling of Monolingual and CS ASR

Language segmentation decision

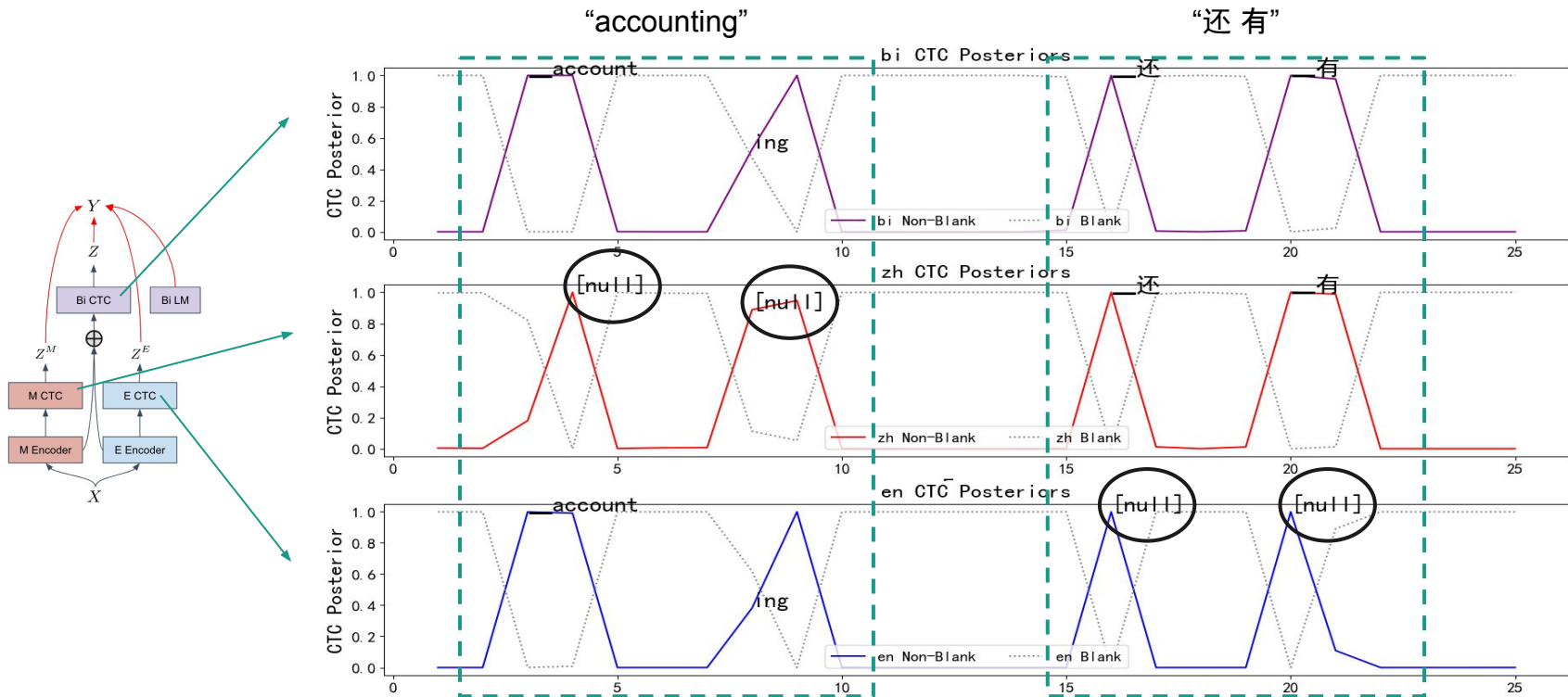


- Encourage monolingual modules to transcribe the opposite language → leave language segmentation decision to bilingual modules (CTC, LM)



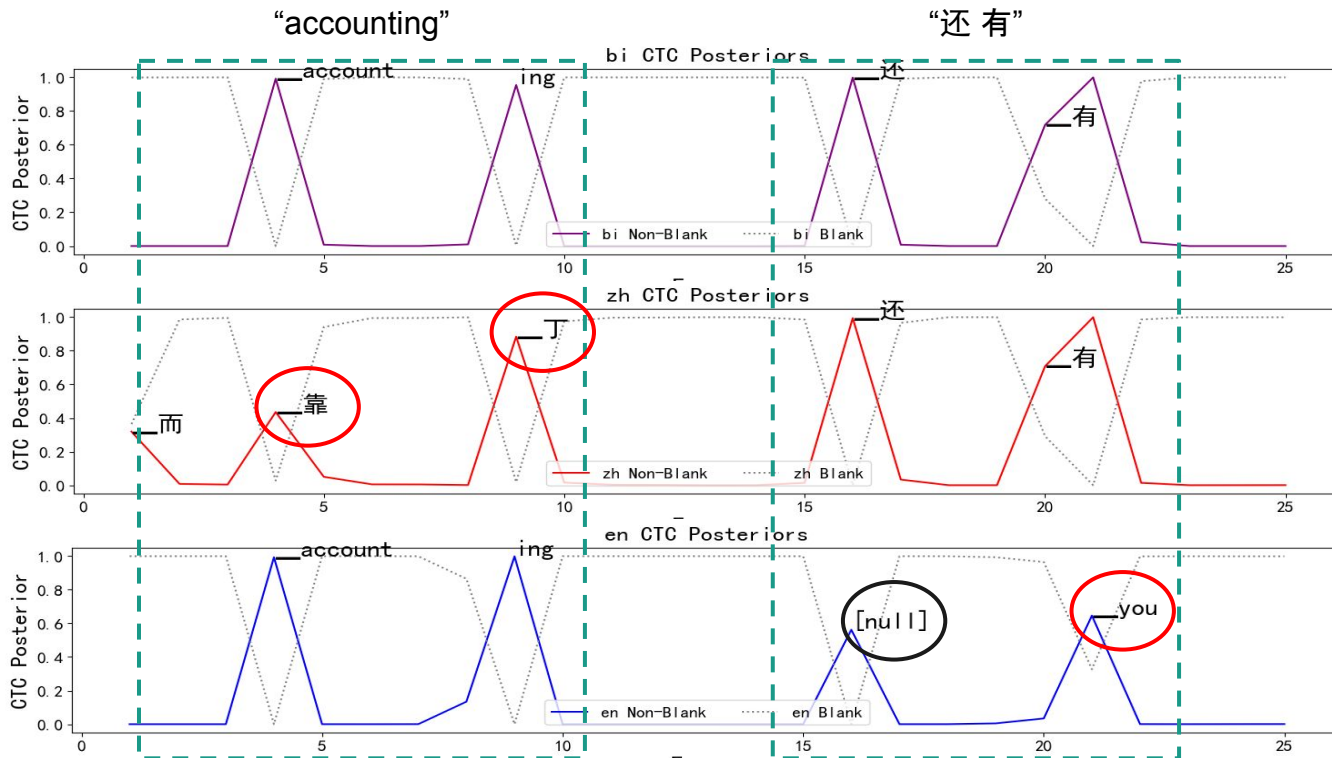
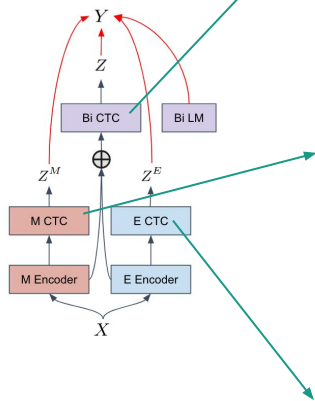
# Qualitative Example: Conditional CTC Posteriors

Given CS ASR training data, early language segmentation works well



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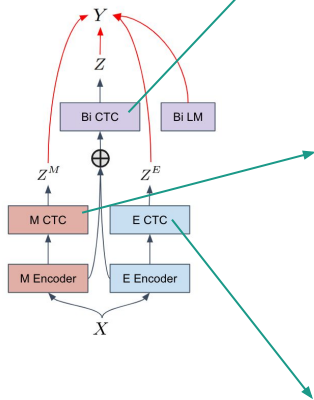
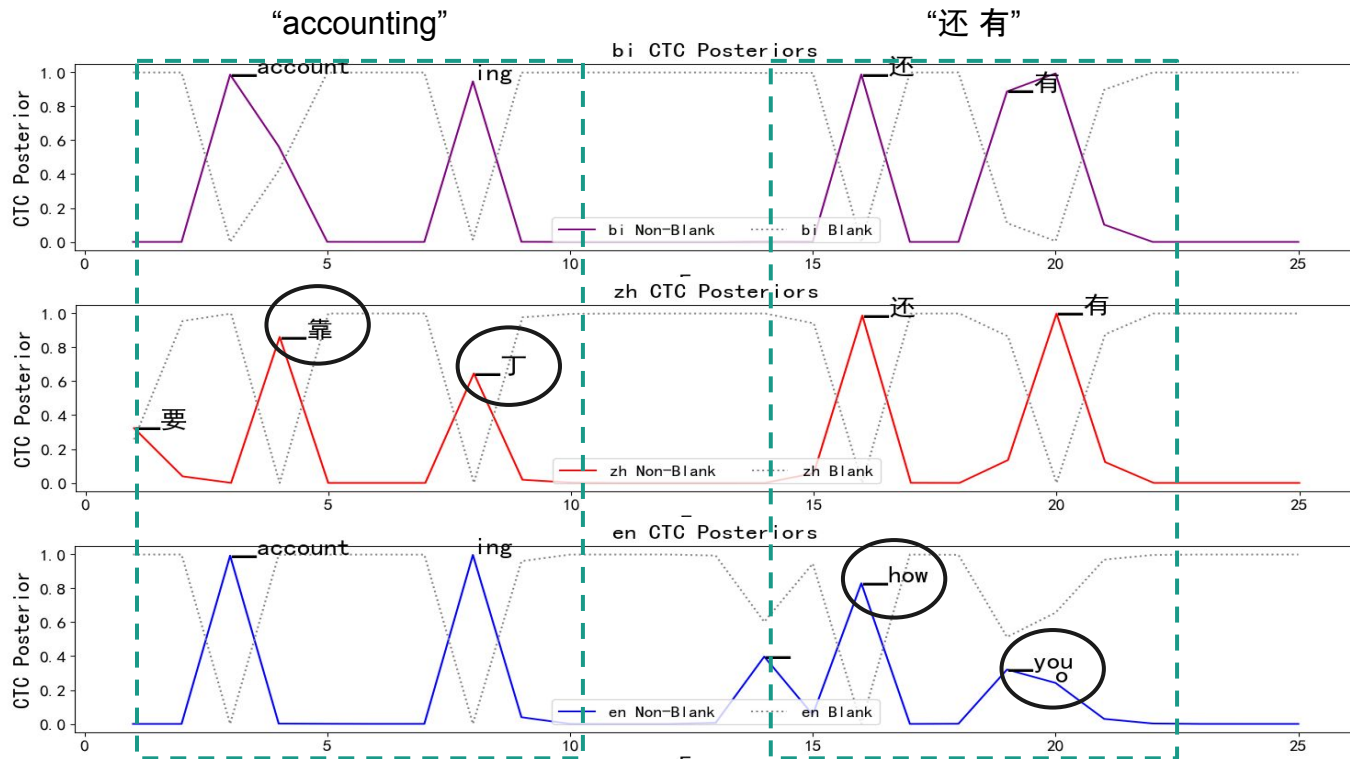
Without CS ASR training data, early language segmentation is unreliable





# Qualitative Example: Conditional CTC Posteriors

- Monolingual modules produce smooth likelihoods for opposite lang. instead of [null]
- Language separation information is soft; LM can help decide → late decision



# Results

Model	Language Segmentation	ASR Data	LM Data	devman MER(↓)
Conditional CTC	Early	CS + M	-	17.5
Conditional CTC + LM	Early	CS + M	CS + M	<b>16.8</b>
Conditional CTC	Early	CS	-	32.3
Conditional CTC + LM	Early	CS	CS + M	30.1
Conditional CTC	Late	CS	-	27.9
Conditional CTC + LM	Late	CS	CS + M	<b>25.2</b>

+13.3 MER

-4.9 MER

# Takeaways



- Language segmentation of code-switched speech is hard, especially if we don't have code-switched supervision
- Making later decisions about language segmentation is better, allowing us to consider more information (e.g. external LM)